

#### Modeling the atmosphere: paradigm shift

Past Present

A priori state of the atmosphere is **not known** 

A priori state of the atmosphere is known

In situ **1D** measurements of meteorological parameters

Using **global 4D** models of the atmosphere and ocean

Path delay: Marini-Murray mapping function

Numerical integration of wave propagation equations through the heterogeneous media

Atmosphere pressure loading: regression coefficients

Atmosphere pressure loading: direct integration

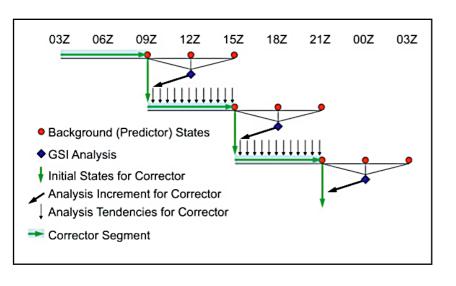
Land water storage loading: no model

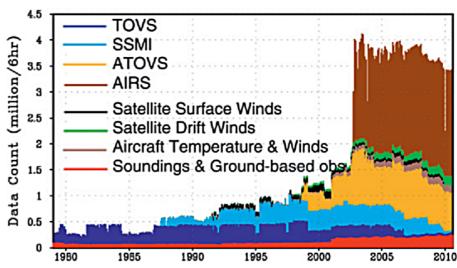
Land water storage loading: direct integration

#### What is the numerical weather model?

Numerical weather models (NWM) reached that level of sophistication that one can deduce the 4D state of the atmosphere.

How does an NWM work:





- ullet we solve differential equat. and predict state of the atmosphere for  $\Delta T$ ;
- we ingest observations;
- we reconcile them during incremental analysis update (IAU) phase.

Observations are assimilated to the model using the 3D-Var scheme.

#### Slant path delay computation

#### Model used:

MERRA: Since 1979.01.01 72 lev  $\times 0.5^{\circ} \times 0.67^{\circ} \times 6^{h}$  Latency:  $40^{d}$  GEOS FPIT Since 2000.01.01 72 lev  $\times 0.5^{\circ} \times 0.67^{\circ} \times 3^{h}$  Latency:  $12^{h}$ 

Basis: Fermat principle (1662)



- Variational problem 

   differential equations for the trajectory;
- Numerical solution of equations trajectory;
- Integration of refractivity path delay for each station;
- Path delays at a grid 
   — expansion over elevation, azimuth, and time;
- Ingestion of the expansion coefficients into a data analysis package (f.e. GEODYN).

Dataset used:

MERRA 1979.01.01 – 2014.09.30,

GEOS FPIT 2000.01.01 - Present,

168 SLR stations

Updated 4 times a day

Latency: 8–24 hours.

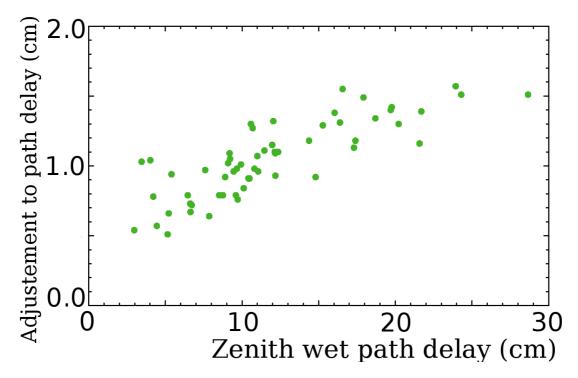
Expansion coefficients are for path delays are computed outside of GEODYN.

Does not need in situ atmospheric pressure measurements.

## Validation

VLBI data are processed with a priori path delay from GEOS FPIT

Residual path delay in zenith was adjusted. Average statistics:



Error of wet path delay prediction is  ${\sim}10\%$ 

A priori path delay at 532 nm can be predicted with accuracy 1-2 mm

— what is new?

- Using higher resolution models
- Improvement in accuracy
- Extension towards land water storage loading, non-tidal ocean loading, tidal ocean loading
- On-demand computation
- Improvement in latency

#### Geophysical Models

#### **Old models (2002)**:

#### New models (2014)

#### Atmosphere:

NCEP Reanalysis:  $2.5^{\circ} \times 2.5^{\circ} \times 6^{h}$ 1979.01.01 – now; Latency:  $2.5 - 3.5^{d}$  MERRA:  $72 \times 0.5^{\circ} \times 0.67^{\circ} \times 6^{h}$ 1979.01.01 – now; Latency:  $20-60^{d}$ 

GEOS-FP:  $72 \times 0.25^{\circ} \times 0.3125^{\circ} \times 3^{h}$ 

 $2011.09.01 - \text{now: Latency: } 9-16^h$ 

GEOS-FPIT:  $72 \times 0.5^{\circ} \times 0.66^{\circ} \times 3^{h}$ 

2000.01.01 - now; Latency:  $8-30^h$ 

#### Land water Storage:

none

MERRA:  $0.5^{\circ} \times 0.67^{\circ} \times 1^{h}$ 

GEOS-FPIT:  $0.5^{\circ} \times 0.67^{\circ} \times 1^{h}$ 

GLDAS NOAH025  $0.25^{\circ} \times 0.25^{\circ} \times 3^{h}$ 

2000.02.24 - now; Latency: 35-75<sup>d</sup>

Non-tidal ocean loading:

Ocean water mass conservation condition

OMCT :  $1.875^{\circ} \times 1.875^{\circ} \times 6^{h}$ 2001.01.01 – now; Latency:  $30-90^{d}$ 

#### Loading computation

Traditional approach (Farrell, 1972): pressure difference  $\Delta P \longrightarrow$  applying land-sea mask  $L \longrightarrow$  convolution integral:

$$\vec{u}_r(\vec{r},t) = \iint_{\Omega} L(\phi',\lambda') \, \Delta P(\vec{r}',t) \, G_{R}(\psi(\vec{r},\vec{r}')) \cos \phi' \, d\lambda' d\phi'$$

$$\vec{u}_h(\vec{r},t) = \iint_{\Omega} \vec{q}(\vec{r},\vec{r}') \, L(\phi,\lambda) \, \Delta P(\vec{r}',t) \, G_{H}(\psi(\vec{r},\vec{r}')) \cos \phi' \, d\lambda' d\phi'$$

where Green's functions are defined

$$G_{\mathbf{R}}(\psi) = \frac{fa}{g_0^2} \sum_{n=0}^{+\infty} h'_n P_n(\cos \psi) \qquad G_{\mathbf{H}}(\psi) = -\frac{fa}{g_0^2} \sum_{n=1}^{+\infty} l'_n \frac{\partial P_n(\cos \psi)}{\partial \psi}$$

Complexity:  $O(d^4)$ 

**Spherical harmonics approach**: pressure difference  $\longrightarrow$  upgridding  $\longrightarrow$  applying land-sea mask  $L \longrightarrow$  spherical harmonic transform  $\longrightarrow$  scaling with Love numbers  $\longrightarrow$  inverse spherical harmonic transform.

$$V_n^m(t) = \frac{1}{\bar{\rho}_{\oplus} g_0} \frac{3h'}{2n+1} \int_{\Omega} L(\phi, \lambda) \Delta P(t, \phi, \lambda) Y_n^m(\phi, \lambda) \cos \phi \, d\phi \, d\lambda$$

$$H_n^m(t) = \frac{1}{\bar{\rho}_{\oplus} g_0} \frac{3l'}{2n+1} \int_{\Omega} L(\phi, \lambda) \Delta P(t, \phi, \lambda) Y_n^m(\phi, \lambda) \cos \phi \, d\phi \, d\lambda$$

$$D_U(\phi, \lambda) = \sum_{i=0}^{i=m} \sum_{j=-n}^{j=n} V_j^i Y_j^i(\phi, \lambda)$$

$$D_E(\phi, \lambda) = \sum_{i=0}^{i=m} \sum_{j=-n}^{j=n} H_j^i \frac{\partial Y_j^i(\phi, \lambda)}{\partial \lambda} .$$

$$D_N(\phi, \lambda) = \sum_{i=0}^{i=m} \sum_{j=-n}^{j=n} H_j^i \frac{\partial Y_j^i(\phi, \lambda)}{\partial \phi}$$

Complexity:  $O(d^3)$ 

#### **Enhancements:**

- Up-gridding pressure field to degree 2047 (4.9 km) for ocean loading and degree 1023 (9.8 km) for other loadings.
- Refined land-sea mask GTOPO30 with an original resolution 30''.
- Using 3D atmosphere to compute surface pressure after up-gridding.
- Clean "humidity voids" in the atmosphere pressure field.
- Masking glaciers and big reservoirs in land water storage models.
- "Conditioning" bottom pressure from the OMCT model to alleviate artifacts due to truncation.

#### Results

- Time series of 3D loading displacements for 849 stations caused by
  - atmosphere 1979.01.01 now, latency:  $15^h$ .
  - land water storage 1979.01.01 now, latency:  $15^h$ .
  - non-tidal ocean 2001.01.01 now, latency:  $45^d$ .
- Time series of the above 3D loading displacements at  $1^{\circ} \times 1^{\circ}$  grid.
- Coefficients of loading harmonic variations at 11–20 frequencies for both 849 stations and at  $1^{\circ} \times 1^{\circ}$  grid.
- Coefficients of ocean loading displacements for both 849 stations and at  $1^{\circ} \times 1^{\circ}$  grid using model GOT4.8 and FES2012.
- Loadings are computed in the CM frame. Loading displacement differences CF CM are provided as well.
- Loading displacements are updated within 1 hour upon the model update.

In total, over 1,000,000 files, 200 Gb.

### Validation

Data: VLBI observations 2001.01.01 - 2014.07.02

Method: estimation of global admittance factors

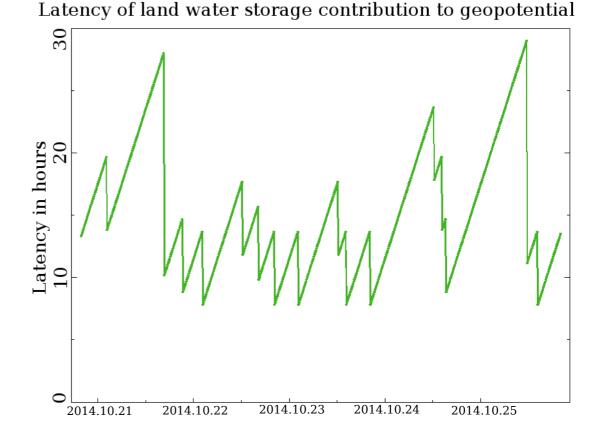
A priori: toc\_fes2012, nto\_omct

Atm GEOS-FPIT UP	0.963	$\pm$	0.023
Atm GEOS-FPIT EA	0.609	$\pm$	0.049
Atm GEOS-FPIT NO	1.027	$\pm$	0.041
Lws GEOS-FPIT UP	0.955	$\pm$	0.016
Lws GEOS-FPIT EA	0.804	$\pm$	0.029
Lws GEOS-FPIT NO	0.886	$\pm$	0.024
Lws NOAH025 UP	1.220	$\pm$	0.013
Lws NOAH025 EA	0.660	$\pm$	0.030
Lws NOAH025 NO	0.826	$\pm$	0.033

#### Contribution to the geopotential

Companion-service of the contribution to the geopotential due to

- atmosphere
- land water storage
- non-tidal ocean
- tidal ocean



Degree/order truncation: 64;

The same geophysical models as for loading;

The same latencies as for loading.

# International Mass Loading Service launched in 2014.

- Includes
  - Atmospheric loading
  - Land water storage loading
  - non-tidal ocean loading
  - tidal ocean loading
- Provides the contribution to the geopotential due to fluids
- Provides time series of displacements with 3-6<sup>h</sup> time resolution for
  - $-\sim 1000$  space geodesy stations
  - $-1^{\circ} \times 1^{\circ}$  grid
  - on-demand
- Has latencies 15 hours for atmosphere and land water, 40 days for non-tidal ocean loading.
- Validated against VLBI data

## http://massloading.net

### What is next?

#### Further development:

- Using weather forecast to  $0-24^h$  in the future. Latency will be eliminated. Accuracy degradation: 20% for the current instant.
- Using OPeNDAP for distribution of path delays, loading displacements and the contribution to the geopotential

```
http://massloading.net/atm/ondemand.asc?dspl&dspl.model=auto&station(dspl,Annapolis,1130794.763,-4831233.803,3994217.042)&station(dspl,MYsta1,1492233.328,-4458089.491,4296046.016)&time(dspl,20141015T11:00:00,20141015T18:00:00)
```

 Automation of loading displacement and slant path ingestion: development of a client library that communicates with the server automatically:

```
get_loading ( char* config_file, load_struct *loading_result )
get_spd ( char* config_file, spd_struct *path_delay )
```

## Summary

- Computation of slant path delay from numerical weather models is ready for <u>routine</u> data processing of all SLR observations. Interface to GEODYN is available.
- A priori path delay through the atmosphere is expected to be accurate at 1–2 mm level — 10 times better than using surface pressure.
- Mass loading service that provides both loading displacements and contribution to the geopotential is launched. Results are available on-line for *routine* data processing.

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